Weekly Lesson Plan For 1st Sem (2022-2023)

Paper :

| Month/week | Topic to be covered |
|--------------------|-------------------------------------|
| November, Week 1-2 | Calculas, Geometry and ODE Unit-I |
| November, Week 3-4 | Calculas, Geometry and ODE Unit-I |
| December, Week 1 | Calculas, Geometry and ODE Unit-III |
| December, Week 2 | Calculas, Geometry and ODE Unit-IV |
| December, Week 3 | Calculas, Geometry and ODE Unit-IV |
| January, Week 1 | Algebra Unit-I |
| January , Week 2 | Algebra Unit-II |
| January, Week 3 | Algebra Unit-III |
| January, Week 4 | Algebra Unit-IV |
| February, Week 1-2 | Rivision |

Mode of Internal Assessment: Class Test in Offline Mode.

Weekly Lesson Plan For 2nd Sem (2022-2023) Paper : HCC-III, HCC-IV, GE-II

| Month/Week | Topic to be covered |
|---------------|--|
| March. Week 4 | Review of Algebric and order properties of R, |
| | Vector valued functions |
| April, Week 1 | Classification of sets through cardinality, Limit- |
| 1 / | continuity-differentiation-integration of vector |
| | functions |
| April, Week 2 | Countable and uncountable sets, 2 nd and higher |
| 1 | order ODE with constant coefficeints |
| April, Week 3 | Important results related to countable and |
| | uncountable sets, Wronskian and method of |
| | variation of parameter |
| April, Week 4 | Bounded sets and related topics, method of |
| | undetermined coefficeints |
| May, Week 1 | Introduction to ponit set topology of R, 2 nd order |
| | homogeneous ODE |
| May, Week 2 | Results related to open and closed sets, System of |
| - | linear differential equations |
| May, Week 3 | Results related to limit points, derived sets and |
| - | closure of a sets, System of linear differential |
| | equations |
| May, Week 4 | Sequence of real numbers, System of linear |
| - | differential equations |
| June, Week 1 | Sequence of real numbers |
| June, Week 2 | Infinite series |
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| Month/week | Topic to be covered |
|---------------------------------------|--|
| July, Week 3 | Theory of real functions and introduction to |
| , , , , , , , , , , , , , , , , , , , | metric spaces Unit-I |
| July, Week 4 | Theory of real functions and introduction to |
| , , , , , , , , , , , , , , , , , , , | metric spaces Unit-II |
| August, Week 1 | Theory of real functions and introduction to |
| e , | metric spaces Unit-III |
| August, Week 2 | Theory of real functions and introduction to |
| 6 | metric spaces Unit-IV |
| August, Week 3 | Group Theory1 Unit-I |
| C | Logic and sets Unit-I |
| August, Week 4 | Group Theory1 Unit-II |
| . | Logic and sets Unit-II |
| September, Week 1 | Group Theory1 Unit-III |
| | Logic and sets Unit-III |
| September, Week 2 | Group Theory1 Unit-IV |
| September, Week 3 | Group Theory1 Unit-V |
| September, Week 4 | Riemann Integration and Series of functions |
| T T T T | Unit-(I, II) |
| November, Week 1 | Riemann Integration and Series of functions |
| , | Unit-(III, IV) |
| November, Week 2 | Riemann Integration and Series of functions |
| , | Unit-V |
| November, Week 3 | Rivision |

Weekly Lesson Plan For 3rd Sem (2022-2023) Paper : HCC(V-VII), SE-I

Weekly Lesson Plan For 4th Sem (2022-2023)

| Month/Week | Topic to be covered |
|------------------|---|
| January, Week 2 | Functions of several variables, limit and |
| 5, | continuity of functions of two or more variables |
| January, Week 3 | Partial differentiation, total differentiability and |
| 57 | differentiability, sufficient condition for |
| | differentiability. |
| January, Week 4 | Chain rule for one and two independent |
| • | parameters, directional derivatives, the gradient |
| February, Week 1 | maximal and normal property of the gradient, |
| - | tangent planes, extrema of functions of two |
| | variables, method of Lagrange multipliers, |
| | constrained optimization problems. |
| February, Week 2 | Double integration over rectangular region, |
| | double integration over non-rectangular region, |
| | double integrals in polar co-ordinates |
| February, Week 3 | triple integrals, triple integral over a |
| | parallelepiped and solid regions. Volume by |
| | cripie integrais, cylindrical and spherical co- |
| Manala Waala 2 | Change of variables in double integrals and triple |
| March, week 3 | integrals |
| | Continuous mapping sequential criterion and |
| | other characterizations of continuity Uniform |
| | continuity Connectedness connected subsets of |
| | \mathbb{R} . Compactness: Sequential compactness, Heine- |
| | Borel property, totally bounded spaces, finite |
| | intersection property and continuous functions on |
| | compact sets. |
| March, Week 4 | Definition of vector field, divergence and curl. |
| April, Week 1 | Line integrals, applications of line integrals: mass |
| | and work. Fundamental theorem for line |
| | integrals, conservative vector fields, |
| | independence of path. |
| | Homeomorphism. Contraction mappings. Banach |
| | fixed point theorem and its application to |
| | ordinary differential equation. |
| April, Week 2 | Green's theorem, surface integrals, integrals over |
| | parametrically defined surfaces. Stoke's theorem, |
| A '1 XX7 1 O | Vactor analog, subspace, alashra of subspace |
| April, Week 3 | vector spaces, subspaces, algebra of subspaces, quotient spaces, linear combination of vectors |
| | linear span linear independence basis and |
| | dimension dimension of subspaces |
| | |

Paper : HCC(VIII-X), GE-IV, SE-II

| April, Week 4 | Linear transformations, null space, range, rank and nullity of a linear transformation, matrix representation of a linear transformation, algebra of linear transformations. Isomorphisms. Isomorphism theorems, invertibility and isomorphisms, change of coordinate matrix. |
|-------------------|--|
| May, Week 1 | Definition, examples and basic properties of graphs, pseudo graphs, complete graphs, bipartite graphs, isomorphism of graphs. Trees and forests, paths and cycles. |
| May, Week 2 and 3 | Eulerian circuits, Eulerian graph, semi-Eulerian graph, theorems, Hamiltonian cycles, theorems Representation of a graph by matrix, the adjacency matrix, incidence matrix, weighted graph. |

| 1 aper - 1100(AI, AII), DSE(I, II) | | |
|------------------------------------|---|--|
| Month/Week | Topic to be covered | |
| July, Week 3 | Group Theory II Unit-I | |
| July, Week 4 | Group Theory II Unit-II | |
| August, Week 1 | Group Theory II Unit-III | |
| August, Week 2 | Group Theory II Unit-IV | |
| August, Week 3 | Numerical Methods Unit-I, II | |
| August, Week 4 | Numerical Methods Unit-III, IV | |
| September, Week 1 | Numerical Methods Unit-V, VI | |
| September, Week 2 | Linear Programming Unit-I | |
| September, Week 3 | Linear Programming Unit-II Linear Programming Unit-III | |
| September, Week 4 | Linear Programming Unit-III | |
| November, Week 1 | Numerical Methods Lab | |
| November, Week 2 | Numerical Methods Lab | |
| November, Week 3 | Numerical Methods Lab | |

Weekly Lesson Plan 5th Sem (2022-2023) Paper : HCC(XI, XII), DSE(I, II)

Mode of Internal Assessment: Class Test in Offline Mode.

Weekly Lesson Plan For 6th Sem (2022-2023) Paper : HCC(XIII-XIV), DSE(III-IV)

| Month/Week | Topic to be covered |
|------------------|--|
| January, Week 3 | Polynomial rings over commutative rings, |
| | division algorithm and consequences, principal |
| | ideal domains, factorization of polynomials, |
| | reducibility tests, irreducibility tests, Eisenstein |
| | criterion, and unique factorization in Z [x]. |
| | Divisibility in integral domains, irreducible, |
| | primes, unique factorization domains, Euclidean |
| | domains. |
| | Theory of equations unit-i |
| January, Week 4 | Dual spaces, dual basis, double dual, transpose of |
| | a linear transformation and its matrix in the dual |
| | basis, annihilators. Eigen spaces of a linear |
| | operator, diagonalizability |
| February, Week 1 | Invariant subspaces and Cayley-Hamilton |
| | theorem, the minimal polynomial for a linear |
| | operator, canonical forms. |
| | Theory of equations unit-ii |
| February, Week 2 | Inner product spaces and norms, Gram-Schmidt |
| 5, | orthogonalisation process, orthogonal |
| | complements, Bessel's inequality, the adjoint of a |

| | linear operator. Least squares approximation, |
|--|--|
| | minimal solutions to systems of linear equations. |
| February, Week 3 | Normal and self-adjoint operators. Orthogonal |
| y y y y y y y y y y | projections and Spectral theorem. |
| | Theory of equations unit-iii |
| March, Week 3 | Partial differential equations – Basic concepts |
| ······································ | and definitions. Mathematical problems. First- |
| | order equations: classification, construction and |
| | geometrical interpretation. Method of |
| | characteristics for obtaining general solution of |
| | quasi linear equations. |
| March, Week 4 | Canonical forms of firstorder linear equations. |
| | Method of separation of variables for solving first |
| | order partial differential equations. |
| | Theory of equations unit-iv |
| April, Week 1 | Derivation of heat equation, wave equation and |
| | Laplace equation. Classification of second order |
| | linear equations as hyperbolic, parabolic or |
| | elliptic. |
| April, Week 2 | Reduction of second order linear equations to |
| - | canonical forms. |
| April, Week 3 | Countable and Uncountable Sets, Schroeder- |
| - | Bernstein Theorem, Cantor's Theorem. |
| April, Week 4 | Cardinal numbers and cardinal arithmetic. |
| May, Week 1 | Continuum Hypothesis, Zorns Lemma, Axiom of |
| | Choice. Wellordered sets, Hausdorff's |
| | maximalprinciple. Ordinal numbers. |
| May, Week 2 | Topological spaces, basis and Sub basis for a |
| | topology, subspace topology, interior points, limit |
| | points, derived set, boundary of a set, closed sets, |
| | closure and interior of a set. |
| May, Week 3 | Continuous functions, open maps, closed maps |
| • · | and homeomorphisms. |
| May, Week 4 | Product topology, quotient topology, metric |
| | topology, Baire category theorem. |